Introduction to Set Theory Third Edition, Revised and Expanded by Karel Hrbacek and Thomas Jech

Errata List

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- 1. Page 62, Exercise 3.5.4. The hint should read "Let h(x) = A x; ..." instead of "Let h(x) = B x; ...". (Confirmed by Dr. Jech)
- 2. Page 101, Exercise 5.2.3. This means that that the countable dense subset is dense in P rather than simply dense with respect to itself. This has to be the case because, if were merely dense with respect to itself, then *any* larger linearly ordered set containing the subset would have the same property so that it is impossible to put a bound on the size of that set (Confirmed)
- 3. Page 114, Exercise 6.3.5 part (c). This should read "..., then $f[A] \in V_{\omega}$." instead of "..., then $f[X] \in V_{\omega}$." since X has not been previously defined. (Unconfirmed)
- 4. Page 140, bottom. The reference to Assumption 1.7 in Chapter 4 should really be Assumption 1.8. (Unconfirmed)
- 5. Page 142, bottom. The reference to Theorem 4.4 in Chapter 7 should be Theorem 4.4 in Chapter 6. (Unconfirmed)
- 6. Page 143 top. In the proof of Theorem 8.1.13 when showing that (c) implies (a) the sentence, "Let F be the system of all functions f for which dom $f \subseteq S$ and $f(X) \in X$ holds for any $X \in S$." should be, "... and $f(X) \in X$ holds for any $X \in \text{dom } f$." This is because, if dom $f \subset S$, then there is an $X \in S$ where $X \notin \text{dom } f$ so that f(X) is not defined. (Unconfirmed)
- 7. Page 143, middle. In the proof of Theorem 8.1.14 there are two times in the first paragraph where statements are made for all or for some $\xi \in A$. These should be $\xi < \lambda$. (Unconfirmed)
- 8. Page 158, bottom. Near the end of the first paragraph of the proof of Theorem 9.1.7 (König's Theorem), the sentence, "If $i_x \neq i_y = i$, then $a_i = d_i \notin A$ while $b_i = y \in A$." should be, "If $i_x \neq i_y = i$, then $a_i = d_i \notin A_i$ while $b_i = y \in A_i$." (Unconfirmed)
- 9. Page 160, Exercise 9.1.11. The special case mentioned in the hint should be $(\kappa \cdot \lambda)^{\mu} = \kappa^{\mu} \cdot \lambda^{\mu}$. This is evidenced by the fact that $(\kappa^{\mu})^{\lambda} = (\kappa^{\lambda})^{\mu}$ does not make sense in the context of the problem (i.e. it is not a special case) as well as by the fact that it is not part of Theorem 5.1.7. (Unconfirmed)